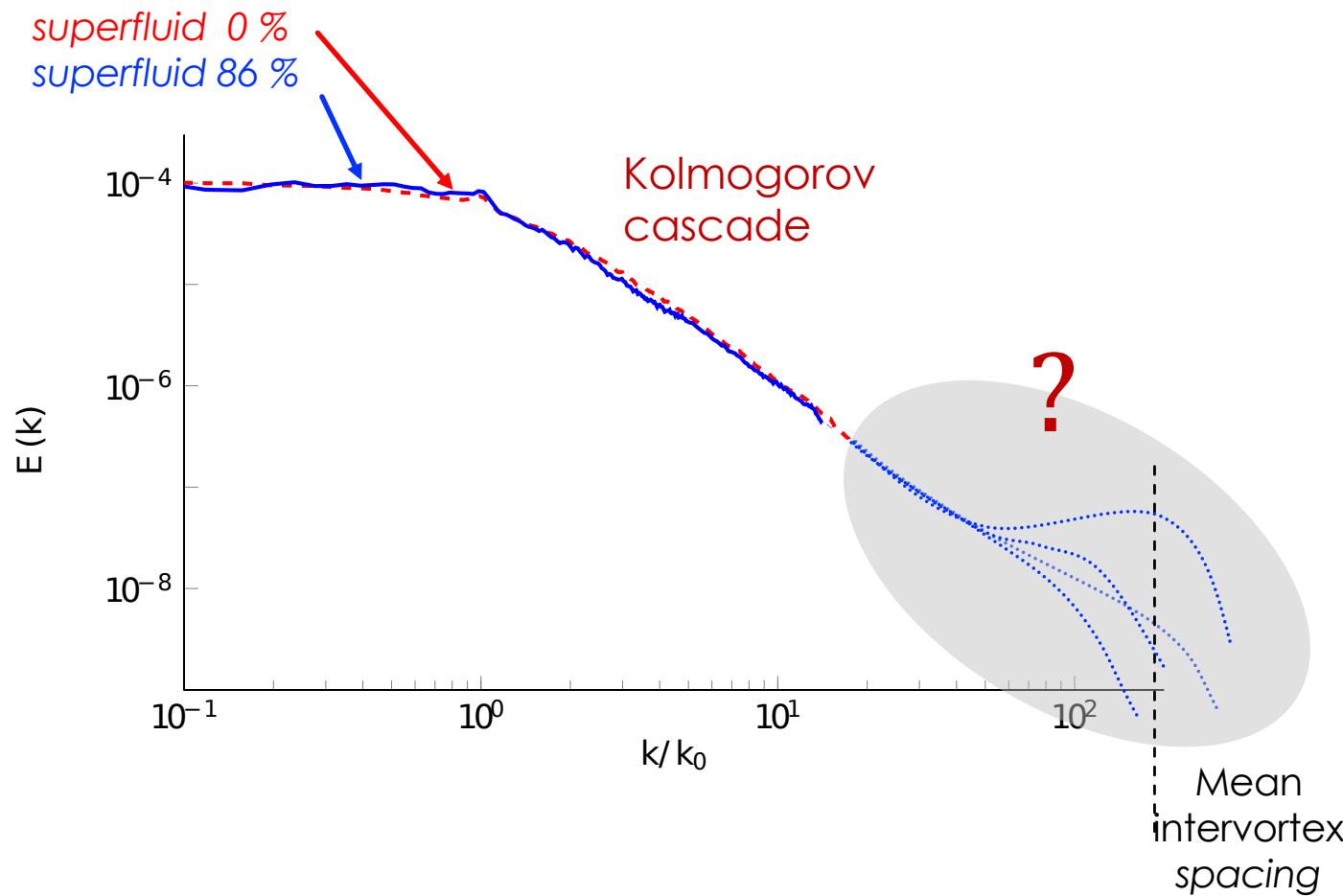


Listening to quantum turbulence with second sound tweezers

Eric Woillez, Jérôme Valentin, Philippe-E. Roche
CNRS, Grenoble

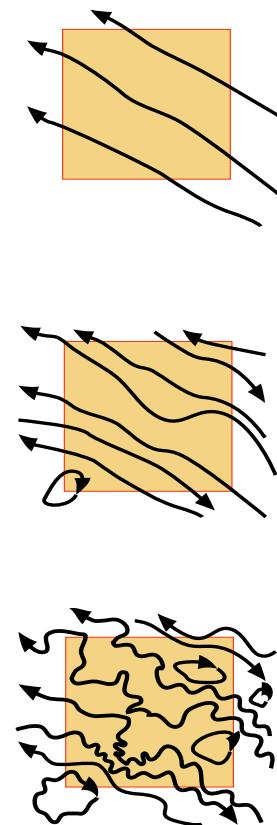
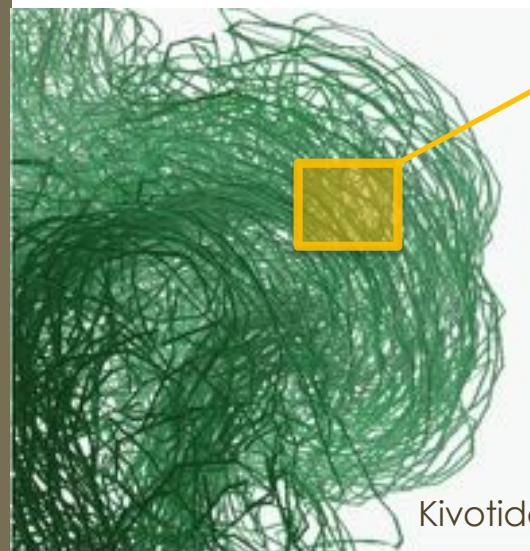
Motivation : the mesoscales of QT

Velocity spectra



The local length of vortex lines

An inertial-scale indicator of small scale physics

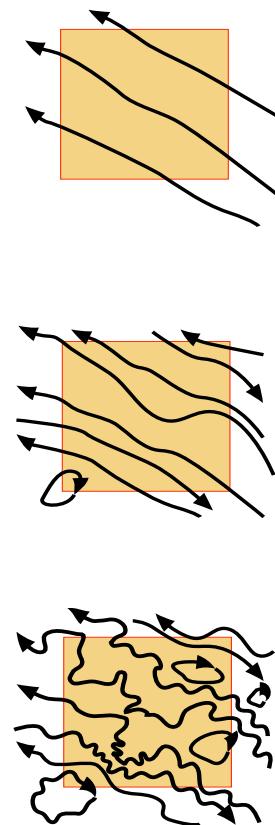
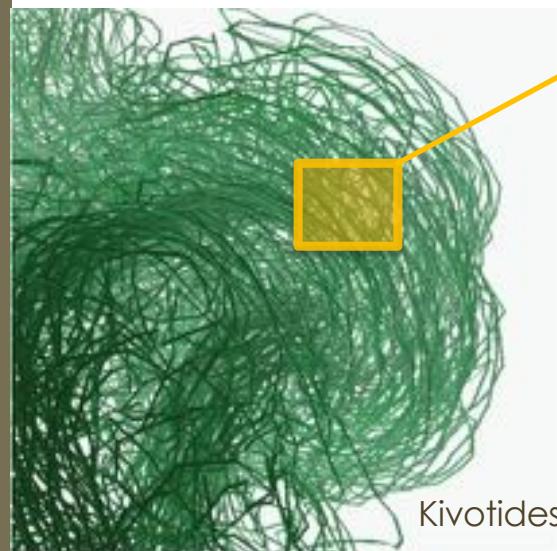


Same total « vorticity »
Different total « vortex length »

Kivotides

The local length of vortex lines

An inertial-scale indicator of small scale physics



The vortex length depends on small-scale processes

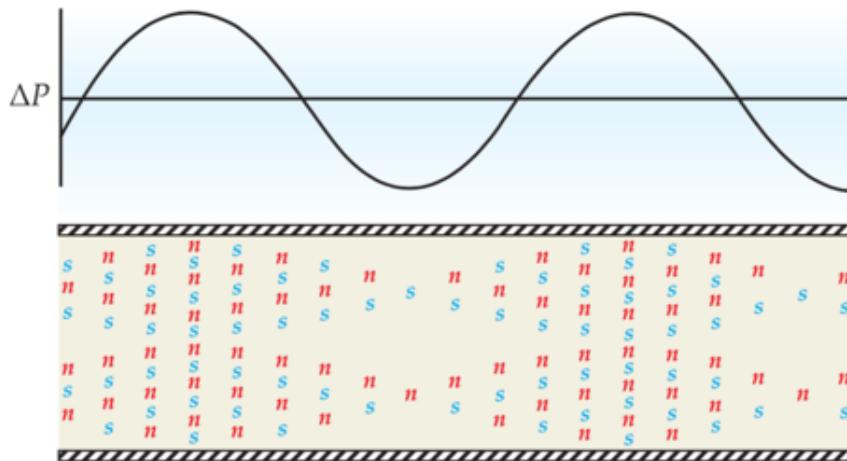
- dissipation,
- reconnection,
- Kelvin wave cascade
- ...

Experimental approach
to mesoscales:

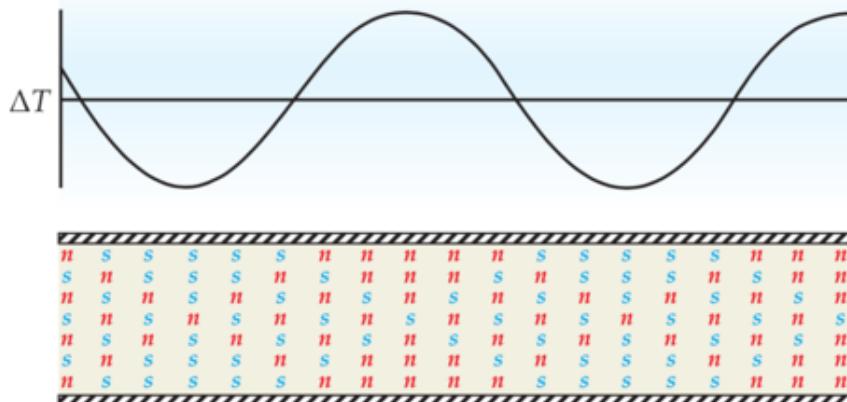
measure the local
density of vortex lines.

What is second sound ?

First sound



Second sound



In He-II, temperature follows a wave equation

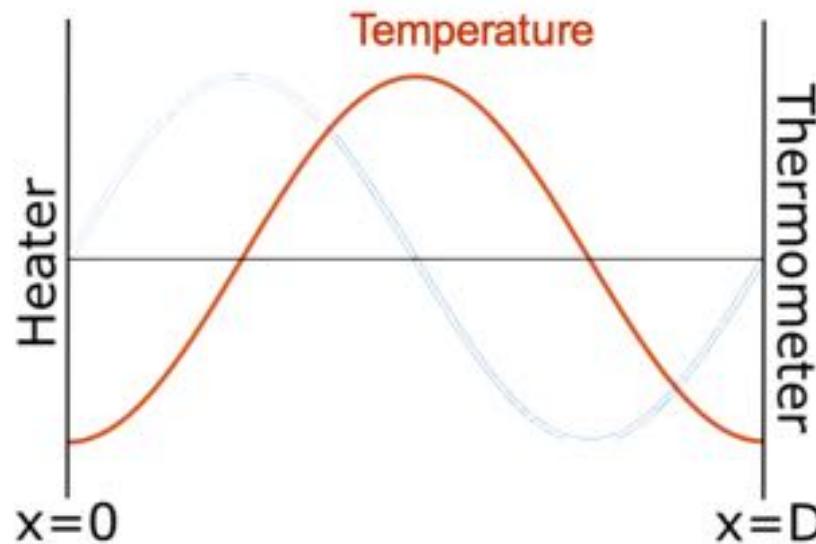
$$\frac{\partial^2 T}{\partial t^2} - c_2^2 \Delta T = 0$$

$$c_2 \approx 10 - 20 \text{ m/s}$$

n : normal fluid component

s : superfluid component

A resonant cavity for temperature waves



Usually of the cm size and imbedded in the walls
of a superfluid flow (e.g Hall & Vinen 1956).

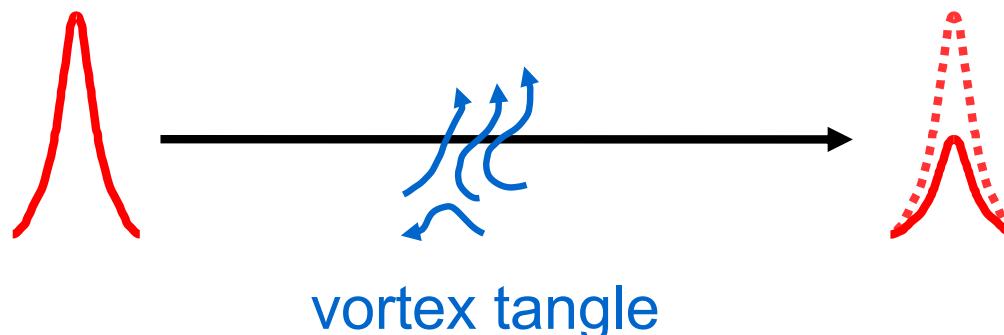
Second sound is damped by quantum vortices

- With quantum vortices, the dispersion relation is

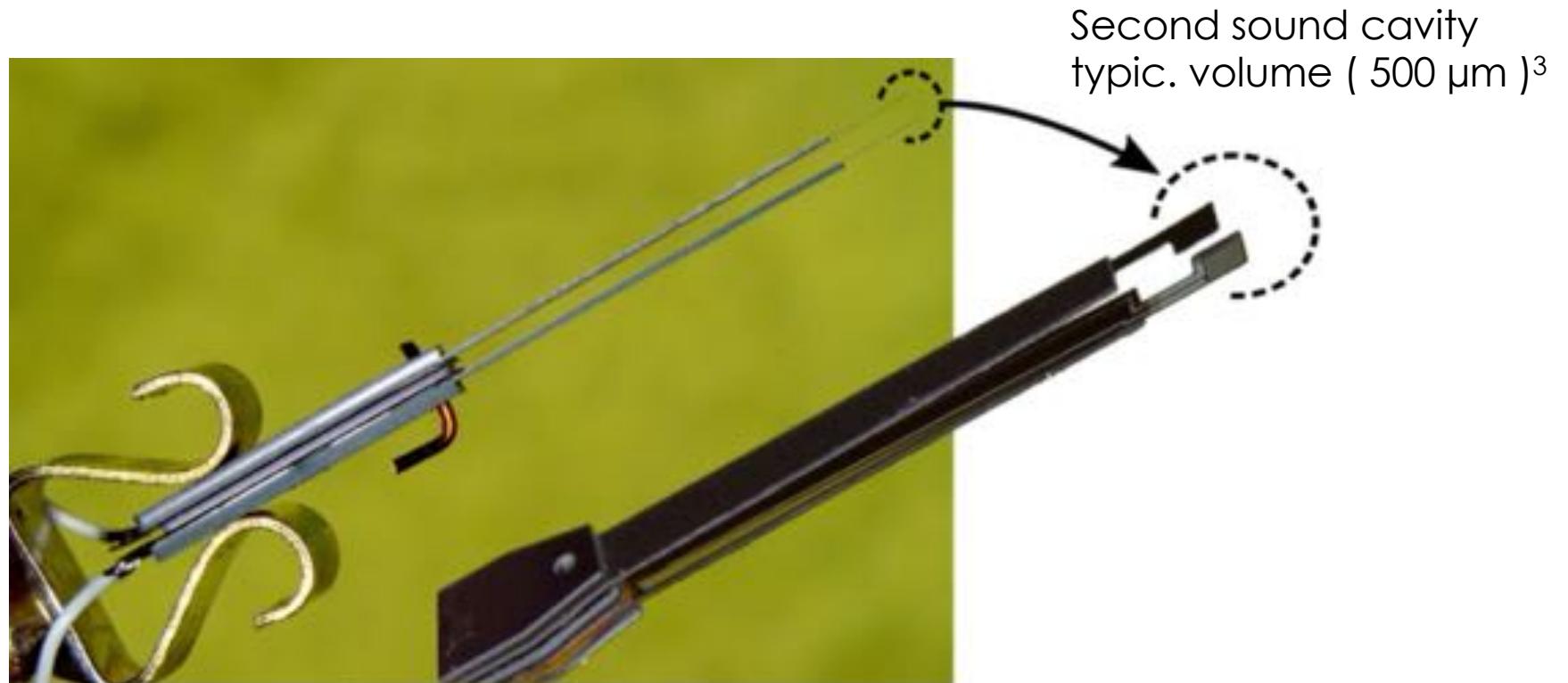
$$k = \frac{\omega}{c_2} + i\alpha(T)\mathcal{L}_\perp$$

attenuation

\mathcal{L} is the density of quantum vortex lines (or « *superfluid enstrophy* »)



Second sound tweezers designed as a non-invasive probe



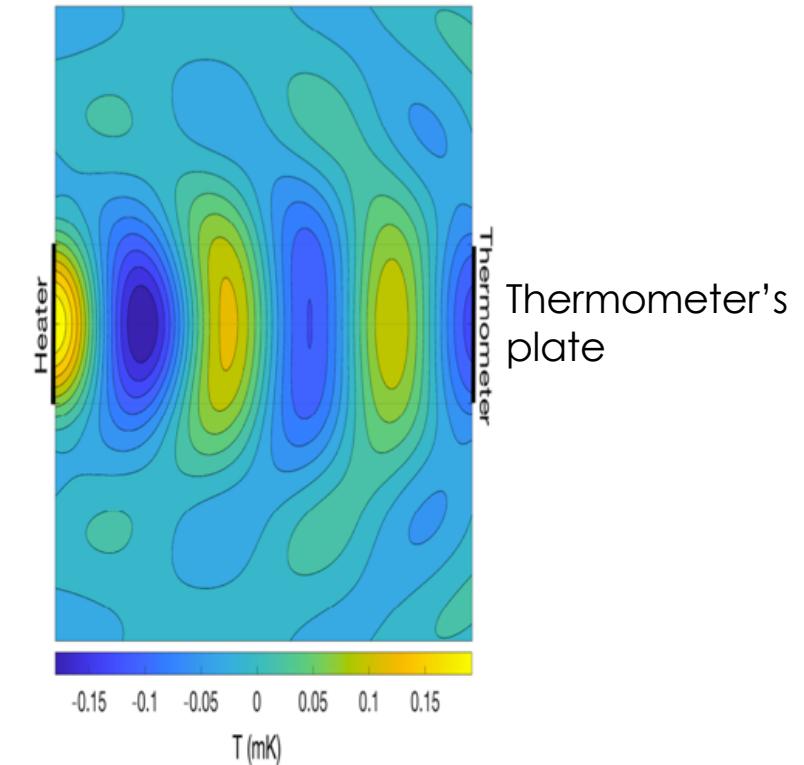
Design, modelling, fabrication recipe, operation and data processing methods,
detailed in: Woillez et al, *Rev. Sci. Instrum* [in press]

Standing wave in the open cavity modelled with the Huygens-Fresnel principle

$$G(\mathbf{r}) = \frac{1}{|\mathbf{r}|} e^{-ik|\mathbf{r}|}$$

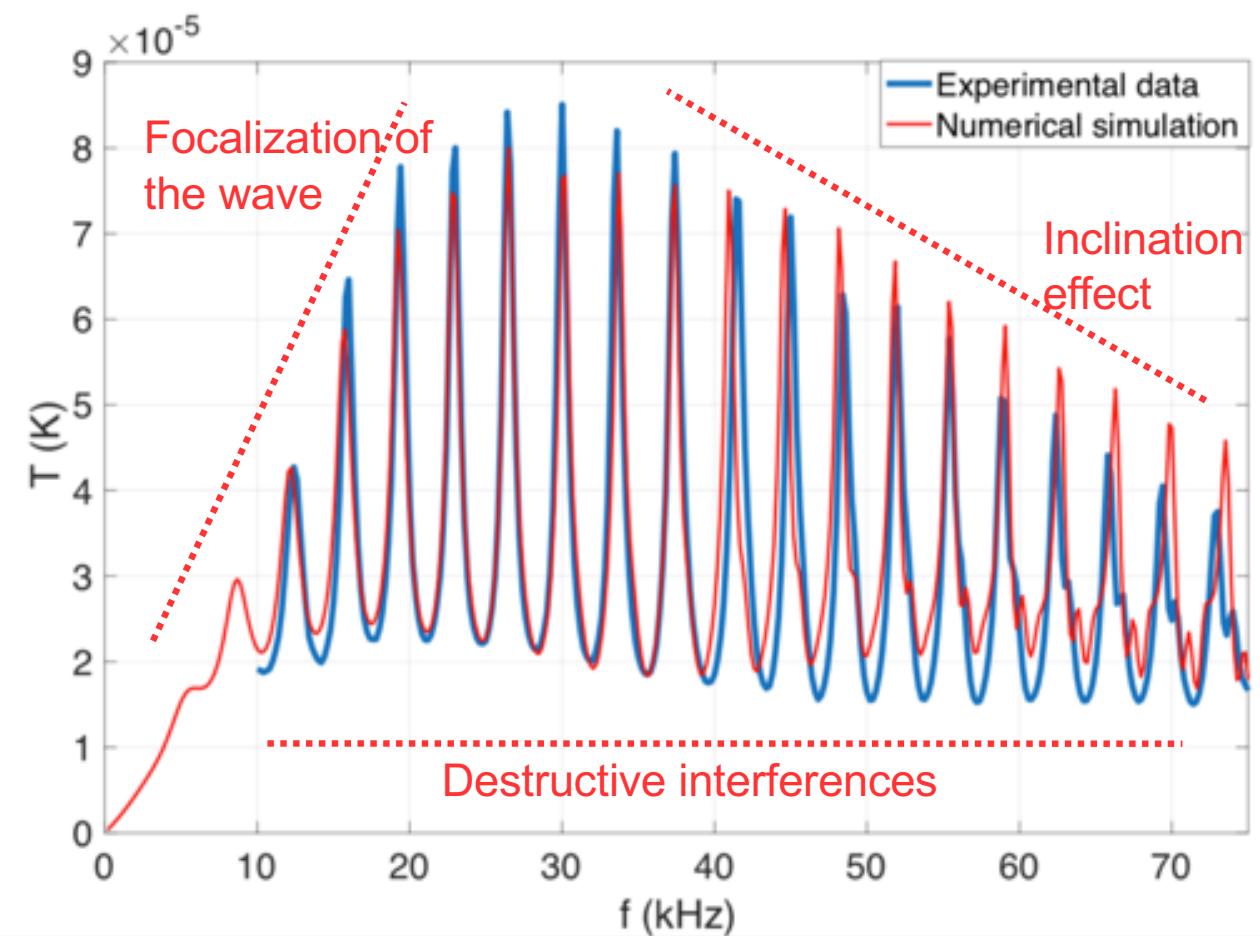
- Near field diffraction
- Advection

Temperature field

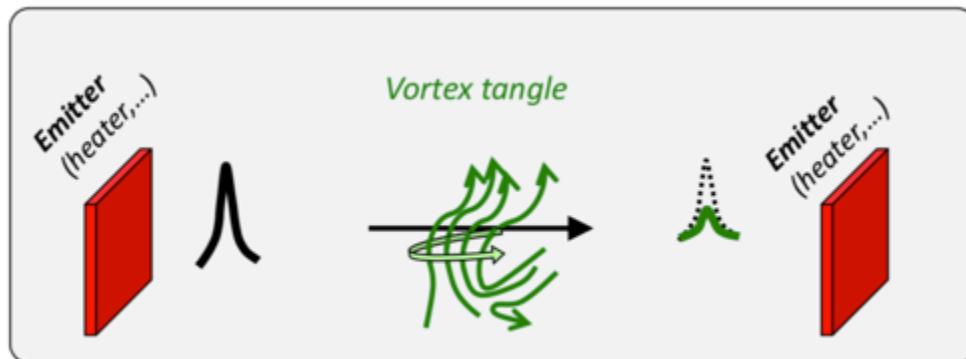


Second sound tweezers

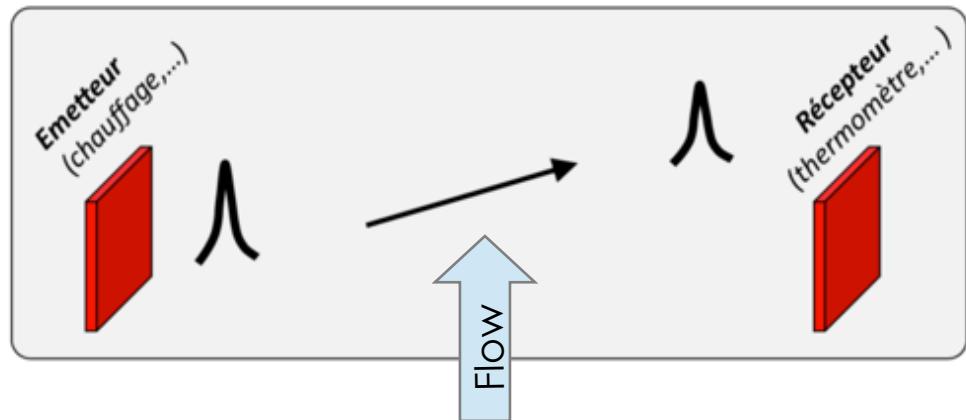
The model predicts the features of the spectrum



Second sound tweezers sensitive to both quantum vortices and velocity



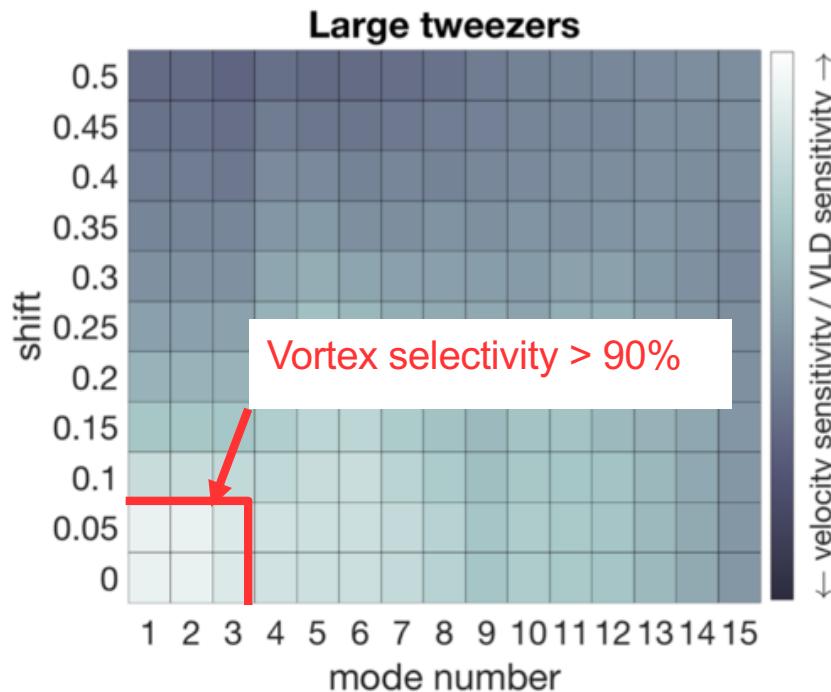
Attenuation proportional to the density of quantum vortices



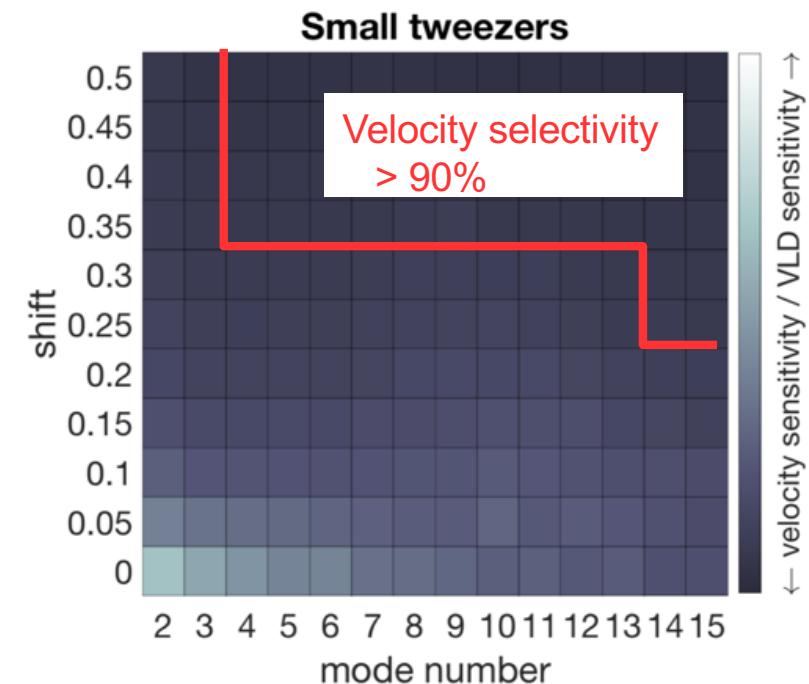
Ballistic advection by the flow creates an extra attenuation with phase shift

Second sound tweezers

Optimization to favor vortex or velocity selectivity



Large symmetric tweezers are used to measure the density of **quantum vortices**

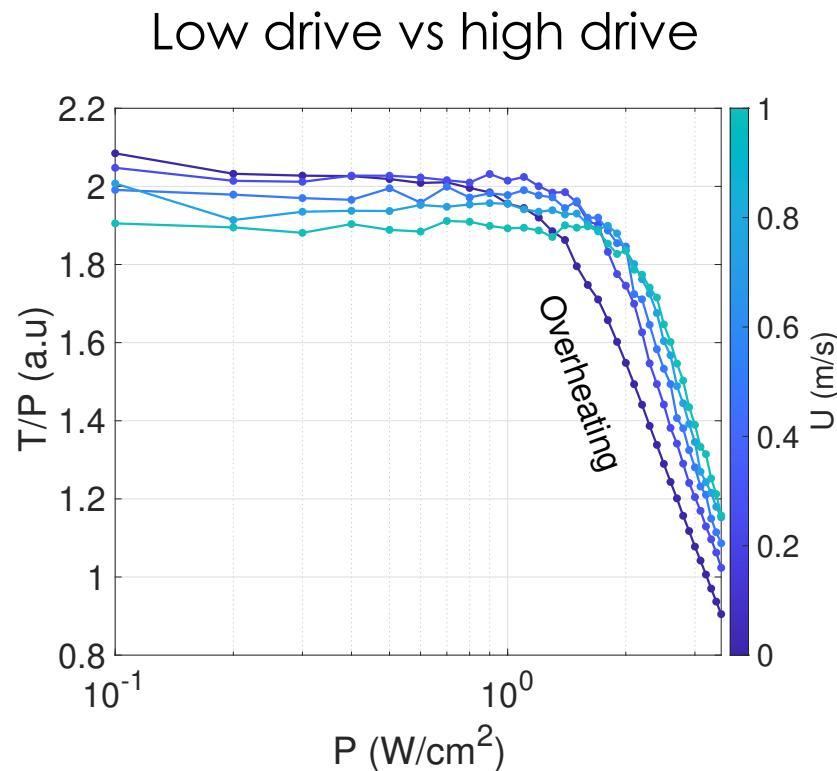


Small asymmetric tweezers are used to measure the **velocity**

Side slide :

An alternative method to sense both vortices or velocity using the same tweezers

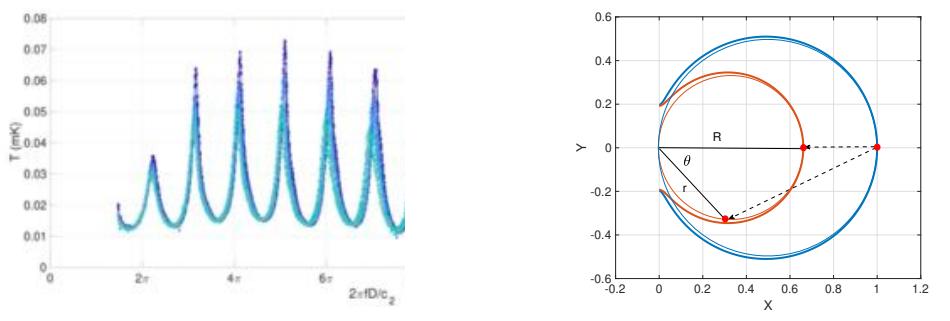
Normalized
amplitude of the
standing wave



Heating power
driving the resonator

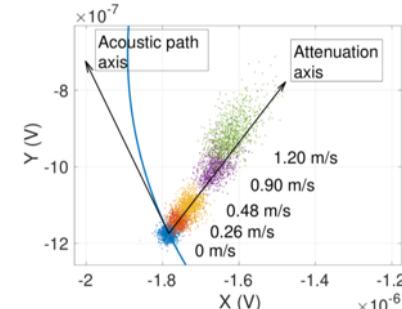
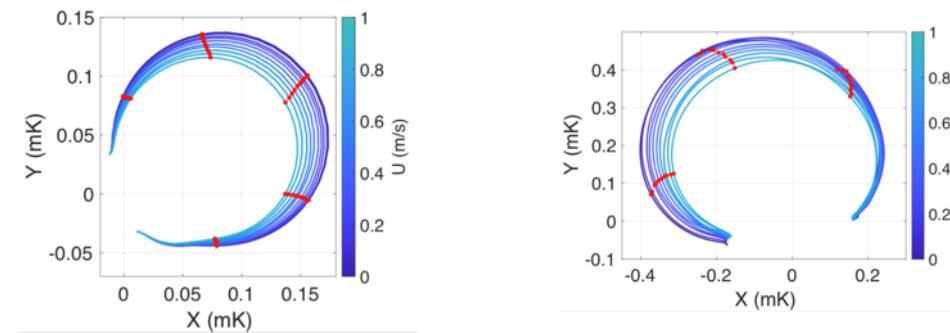
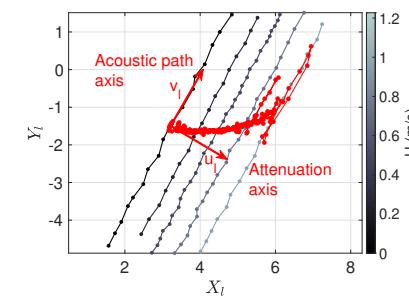
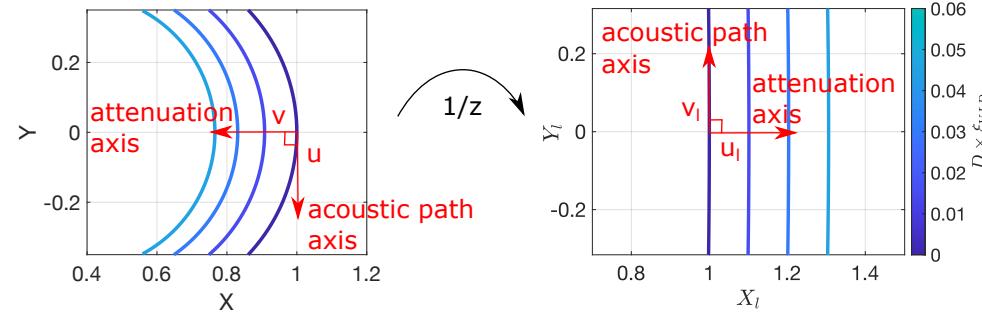
Three new mathematical processing methods

- o bulk attenuation and velocity deflection can be distinguished in the phase-quadrature plane.
- o the noise from a drifting resonant frequency can be cancelled



Attenuation in presence of phase shift

$$\xi_{VLD} = \frac{1}{D} \operatorname{asinh} \left(\frac{\bar{T}_0 \cos \theta}{\bar{T}(f_0) e^{-i\theta}} \sinh (\xi_0 D) \right) - \xi_0.$$

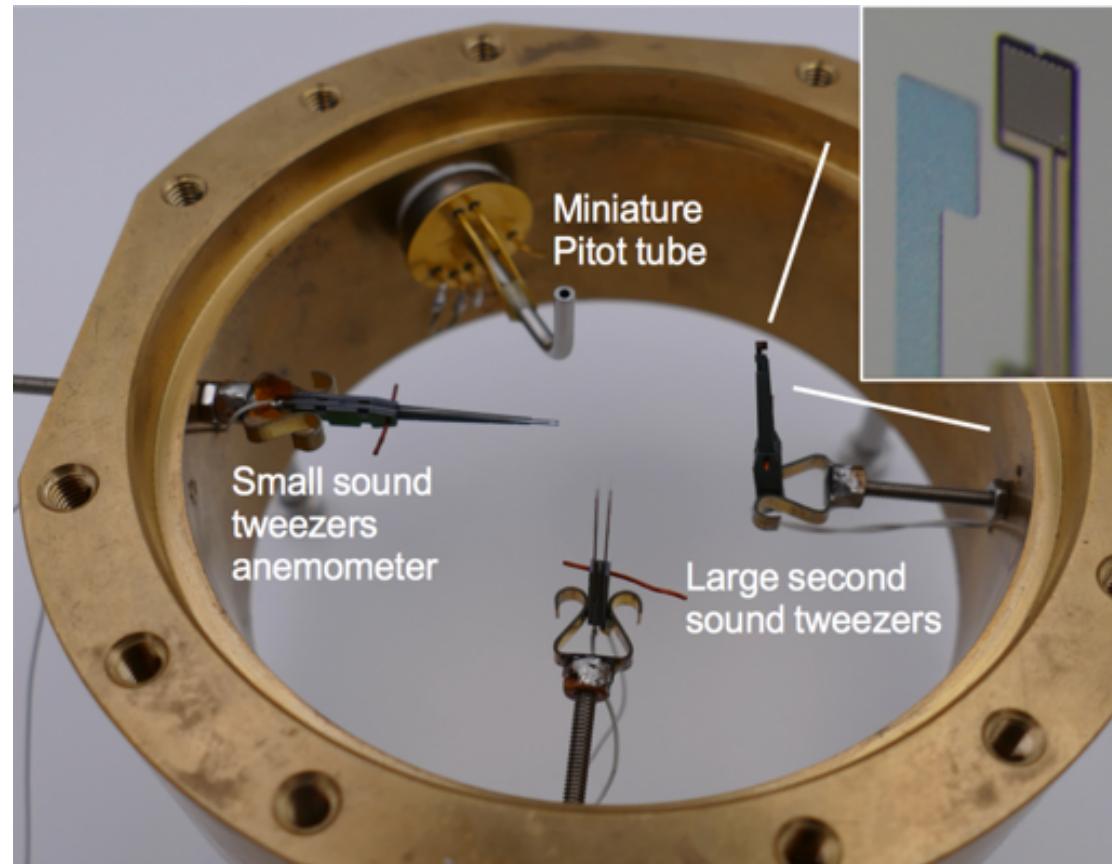


GRID TURBULENCE EXPERIMENT

TOUPIE superfluid wind-tunnel

Wind-tunnel
Φ76 mm

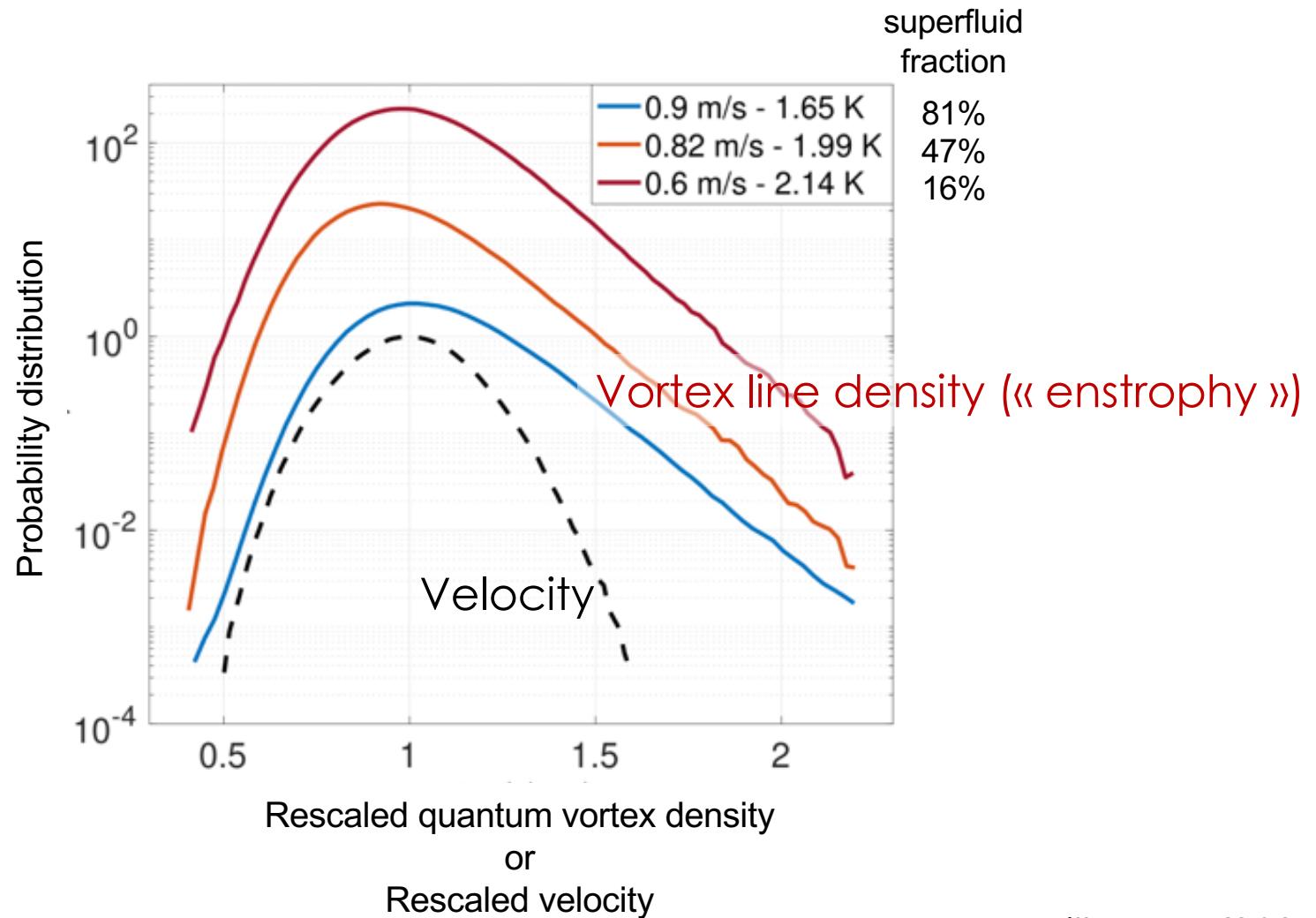
Grid wake :
- near field @ 10M
- porosity : 0.58



Acknowledgements to B. Chabaud

GRID TURBULENCE EXPERIMENT

Highly skewed vortex line density



Main findings on second sound resonators

- 2nd sound tweezers can probe **both vortices and velocity**
- **New processing methods** in the complex plane eliminate out-of-phase signal

Main findings of the grid turbulence experiment

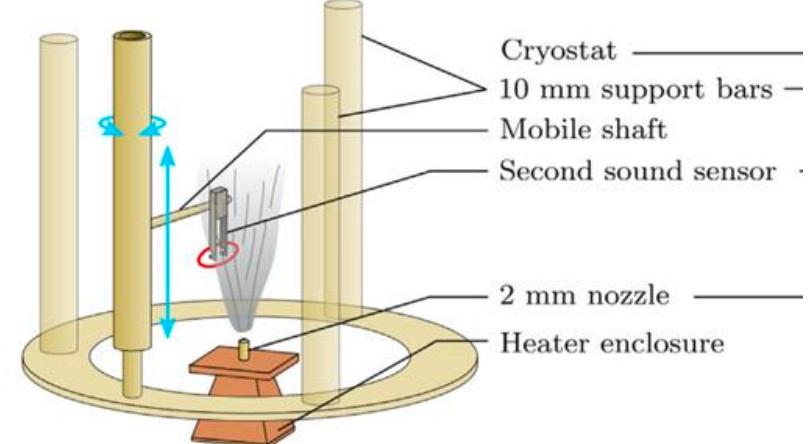
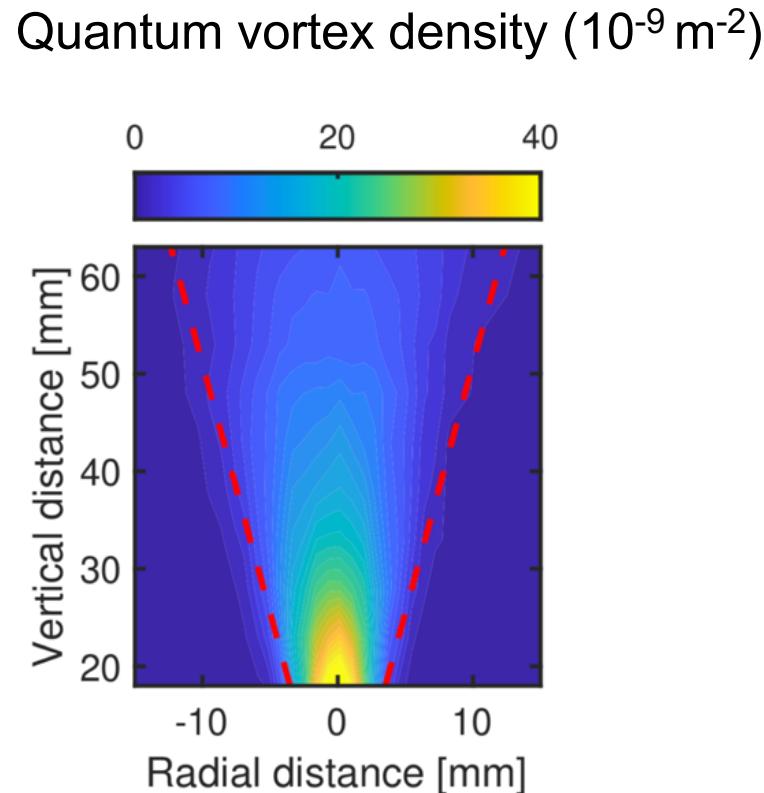
- PDF of the vortex line density :
 - Strong asymmetry.
 - Independent of the superfluid fraction.
Also relevant to Navier-Stokes turbulence ?
- Spectra (not shown) :
 - All vortex density spectra collapse independently of the superfluid fraction.
 - The shape of the spectral master curve is unexpected (no power law)



JET EXPERIMENT

Mapping the superfluid enstrophy of a jet

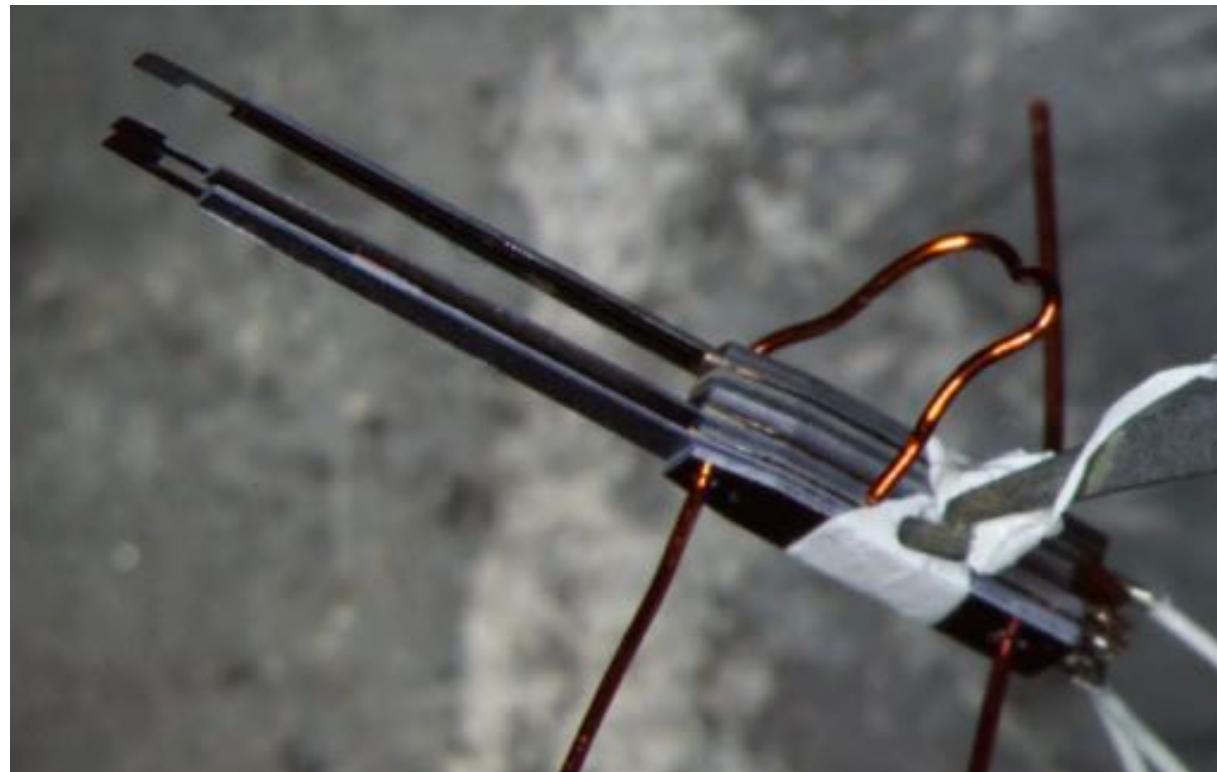
In collaboration with P. Švančara and M. La Mantia



$$\mathcal{L}(r, z, P) \propto \frac{P^{3/2}}{(z - z_0)^2} \exp \left\{ - \left[\frac{r}{\beta_L (z - z_0)} \right]^2 \right\}$$

PERSPECTIVE

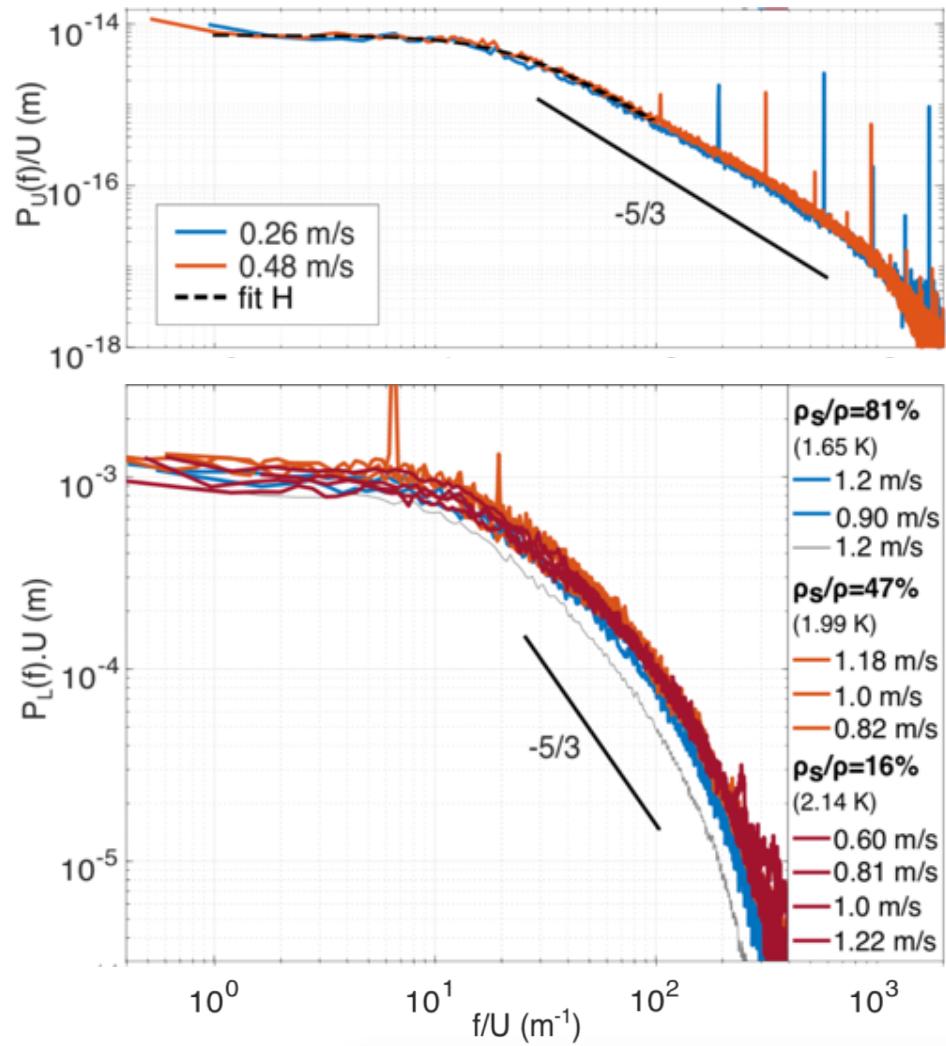
Joint local measurements



Joint local measurements : velocity and vortex line, gradient, ...

GRID TURBULENCE EXPERIMENT

We observe an original shape of the vortex density spectrum

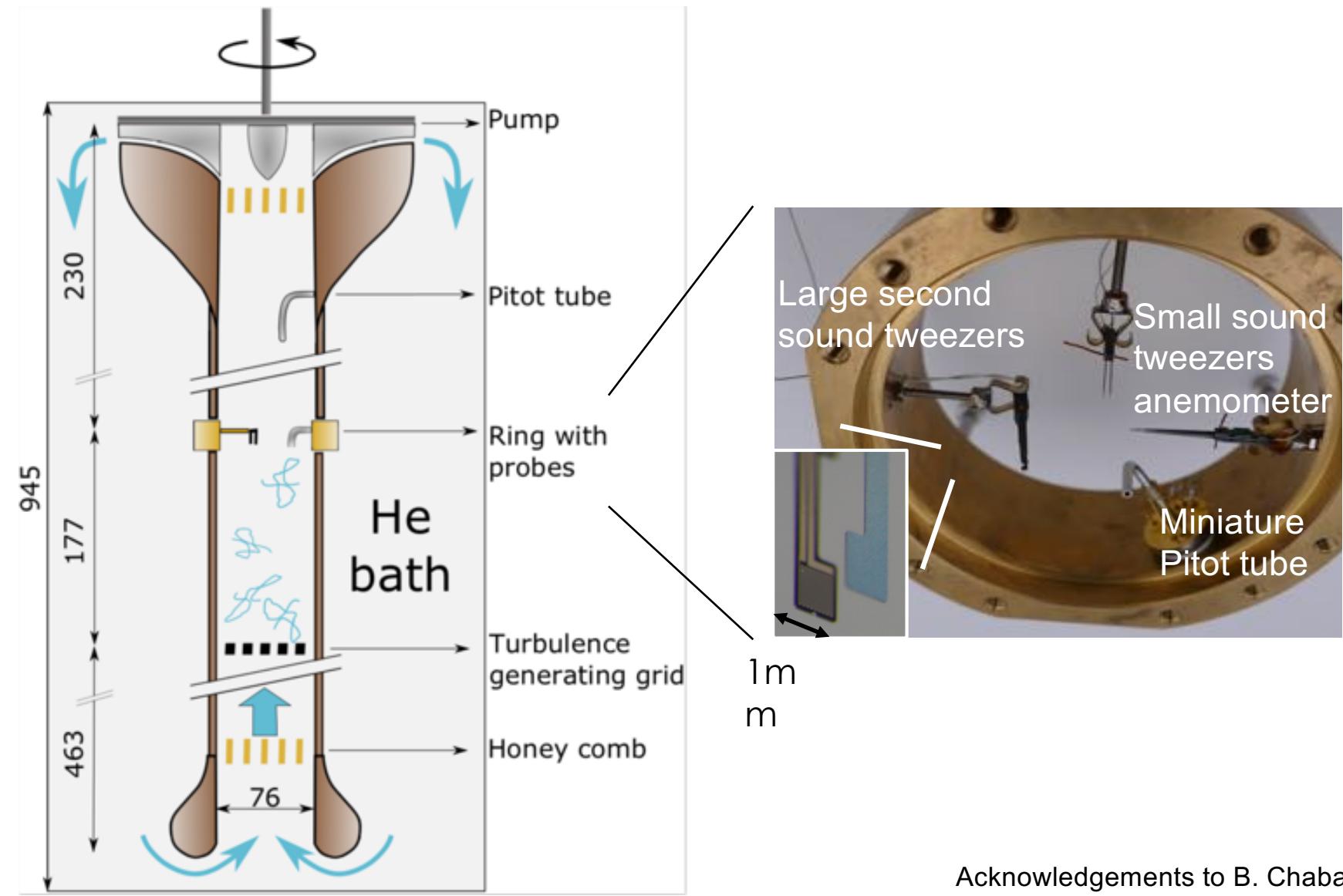


Spectrum of velocity

spectrum of the
superfluid enstrophy.

Experimental results

Probing the quantum enstrophy in grid turbulence



Acknowledgements to B. Chabaud